# Declarative Programming and (Co)Induction Haskell exercises 

Davide Ancona and Elena Zucca<br>PhD Course, DIBRIS, Univ. Genova, June 23-27, 2014

Preliminaries The interactive interpreter is called ghci; under Windows, we suggest to use WinGHCi, which is "Windowsish". Running either one, you should get a prompt where you can write Haskell code. For instance, try:

```
3*2
```

or
$(\backslash x->x+1) 41$
With :? you can get the help of available (ghci) command, anyway the only ones you probably need are:

- :l, to load a file; for instance:

> :l c:\users\elena\Desktop\foo.hs

You can also double-click on a .hs file, to start WinGHCi and load the file, or choose "Load..." from the File menu inside WinGHCi

- :r, to re-load the current file
- :t, to see the type of an expression
- :set +t , to enable the printing of types, after evaluation (note: the special variable it keeps the value of the last successful evaluation)

Exercises for beginners Define the following functions (we suggest to collect your definitions in a file) and then evaluate the given expressions, checking their results.

1. the identity function myid

- myid 1
- myid True

2. the function prod, which multiplies two integers

- prod 34

3. the function twice that doubles an integer

- twice 3

4. the predicate isEven which holds when an integer is even

- isEven 3

5. the composition of two functions compose

- compose isEven id 2
- compose isEven id 3
- compose isEven id
- Note: you can't "print" this one

6. copy $\mathrm{n} \mathrm{e}=$ the list consisting of n copies of e

- copy 5 "ciao"
(in Haskell strings are just lists of characters)

7. mysum $\mathrm{g} \mathrm{n}=$ the sum for $i$ from 0 to n of $g(i)$
8. sumsquare $=$ the sum for $i$ from 0 to n of $i * i$ as an instance (that is, obtained by partial application) of the previous function
9. forloop n body $\mathrm{s}=$ execute n times body starting from s

- forloop $2(\backslash x->x+1) 5$
(result: 7)

10. copy as an instance of forloop
11. the function leq which, given two functions $f$ and $g$ from integers to integers, checks whether $f<=g$ for integers from n to m

- leq id twice 110

12. prodlist $=$ the product of a list of integers
13. after having defined the function itlist (as we have seen during the lecture), prodlist as an instance of itlist
14. member e $\mathrm{l}=$ checks whether e is a member of the list l
15. member as an instance of itlist

- member $2[1,2,3]$


## More challenging exercises

1. mydrop $\mathrm{n} \mathrm{l}=$ removes the first n elements of the list l
2. myfilter $\mathrm{pl}=$ the list of the elements of l where the predicate p holds
3. poslist $\mathrm{l}=$ positive elements of the list (as an instance of the previous function)
4. forall $\mathrm{pl}=$ checks whether the predicate p holds for all elements of list l
5. allpos $1=$ checks whether all elements of a list of numbers are positive (as instance of forall)
6. split $\mathrm{pl}=$ produces two lists, the former consisting of the elements of l satisfying p , the latter consisting of the elements that do not satisfy the predicate
7. after having defined the function mymap (as we have seen during the lecture), a function that given a list of pairs, checks whether for all pairs the first element is equal to the second
8. upto $(\mathrm{n}, \mathrm{m})=$ the list of integers from n to m
9. flatten $\left[1 \_1, \ldots, 1 \_n\right]=1 \_1++\ldots++$ l_n
10. flatten as an instance of itlist
11. exists $\mathrm{pl}=$ checks whether there is at least an element of list 1 satisfying p
12. listit $=$ an iterator analogous to itlist we have seen during the lecture, but which starts iteration from the last element
13. composelist which returns the composition of a list of functions, as an instance of listit
14. combine $\left(\left[x \_1, \ldots, x \_n\right],\left[y \_1, \ldots, y \_n\right]\right)=\left[\left(x \_1, y \_1\right), \ldots,\left(x \_n, y \_n\right)\right]$
15. sublists $l=$ the list of all sublists of $l$
for instance: $[1,2,3]$ has, as sublists, [] [1] [2] [1, 3] etc
(variant: the list of all sublists consisting of adjoining elements)
16. prefixes $l=$ the list of prefixes of $l$
for instance: $[1,2,3]$ has, as prefixes, the lists [] [1] $[1,2][1,2,3]$
